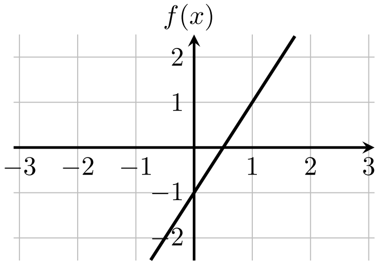

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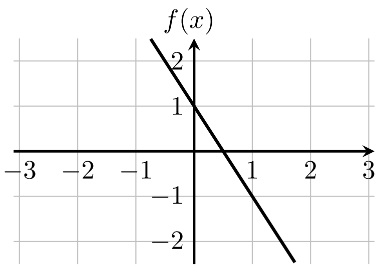

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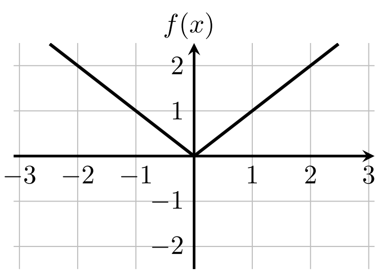

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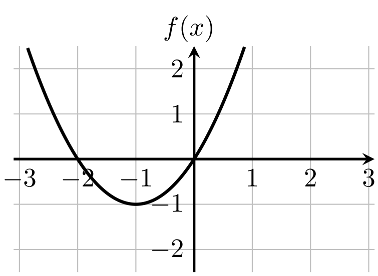

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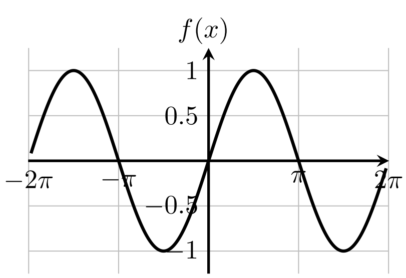

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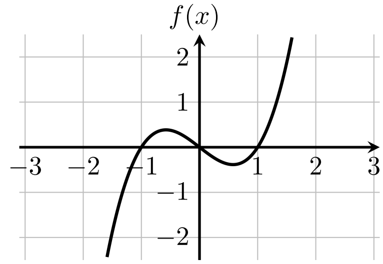

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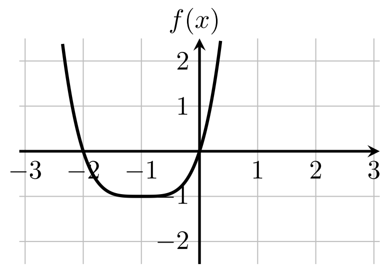

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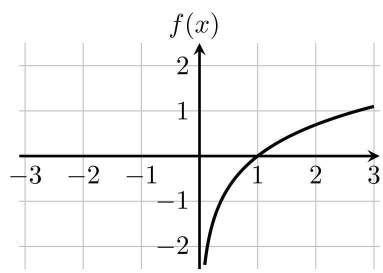

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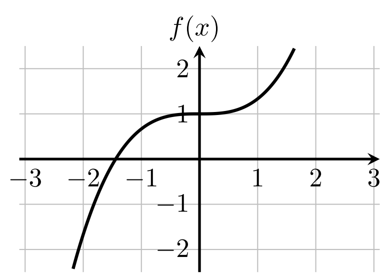

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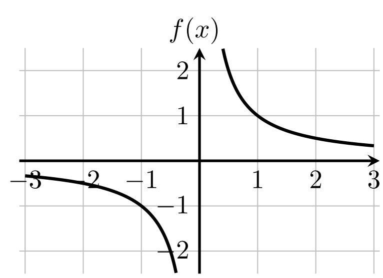

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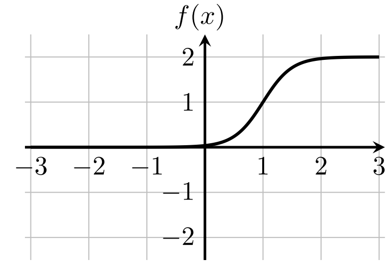

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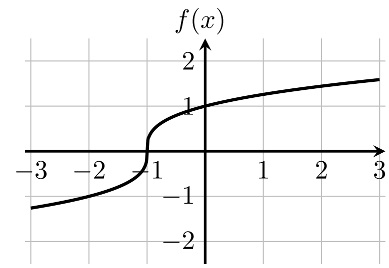

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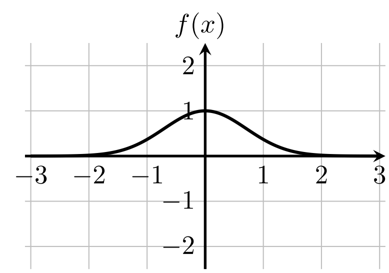

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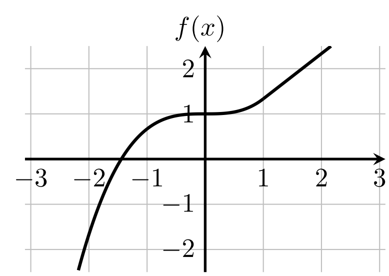

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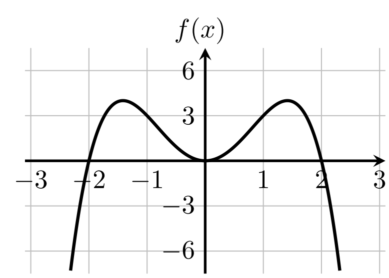

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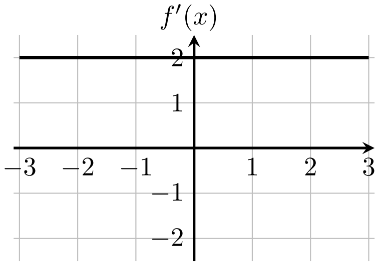

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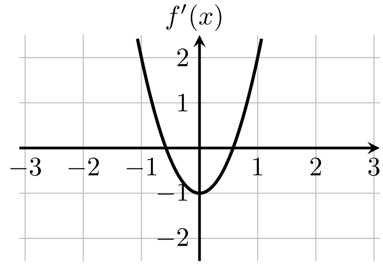

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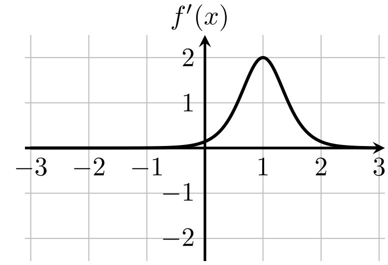

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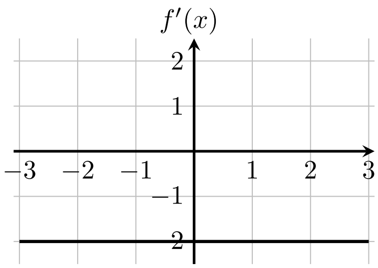

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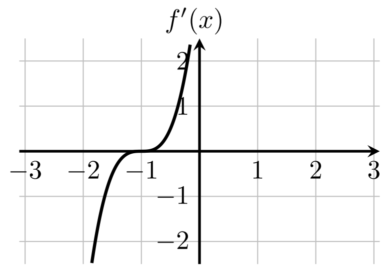

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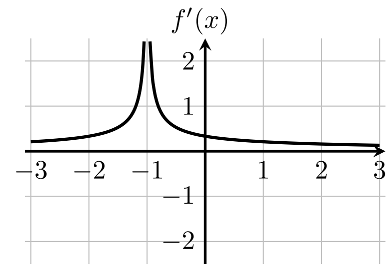

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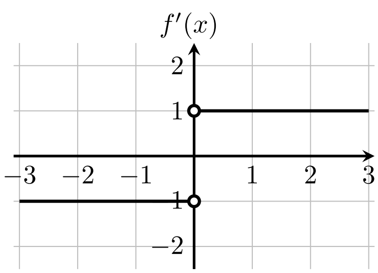

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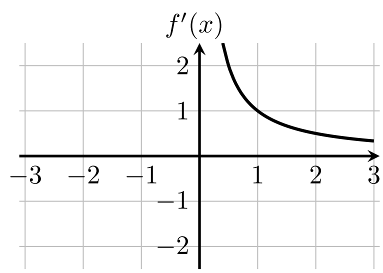

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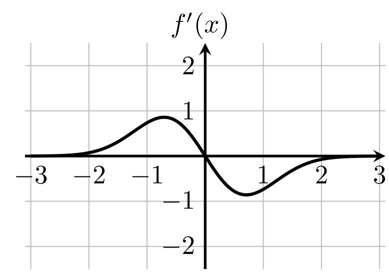

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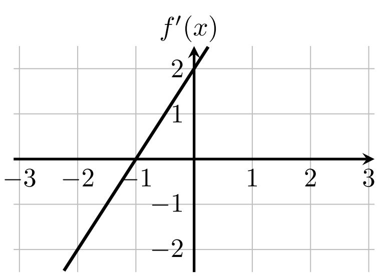

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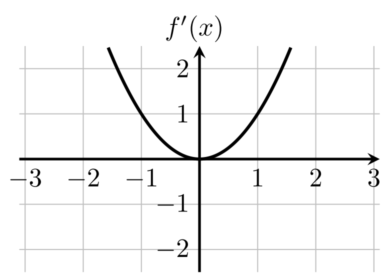

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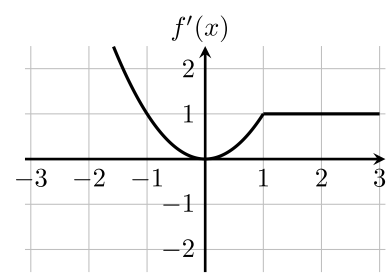

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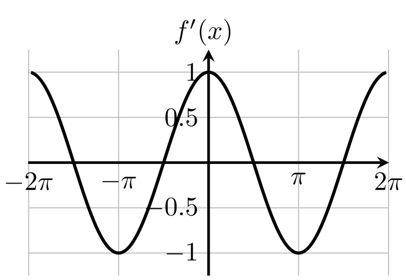

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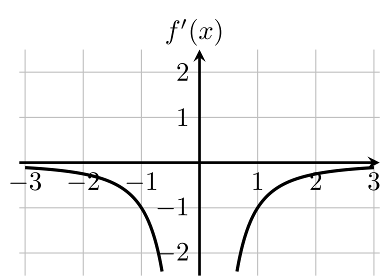

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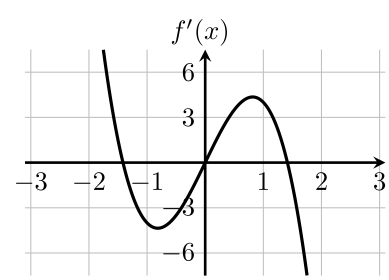


L

$f'(x) > 0$ and $f''(x) = 0$ everywhere.

$\div$

$f(x) = x^3 - x$.

&

$f(x)$ has an inflection point at $x = 1$ because $f''(x)$ switches signs at $x = 1$.

?

$f'(x) < 0$ and $f''(x) = 0$ everywhere.

$\star$

$f'''(x)$ switches signs at $x = -1$.

@

$f(x)$ has a vertical tangent line at $x = -1$.

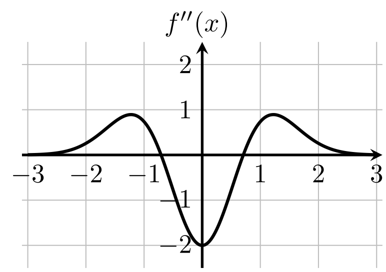
!

$f'(x)$ has a jump discontinuity at $x = 0$.

=

$f(x)$ is always concave down because $f'(x)$ is always decreasing.

$\square$



+

$f(x)$ has a local minimum at $x = -1$ because $f'(x)$ switches signs from negative to positive there. $f''(x)$ is constant.

$\triangle$

$f'(0) = f''(0) = 0$ and $f''(x)$ exists everywhere.

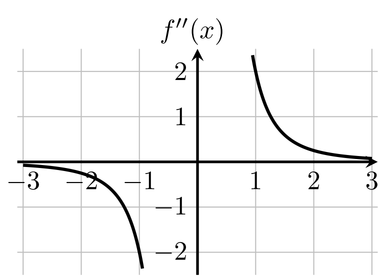
#

$f''(x)$ is undefined at $x = 1$.

$\heartsuit$

$f(x)$ and $f'(x)$ are both periodic with period 2π.

∞



%

$$\int_0^2 f'(x)\,dx = 0.$$

$\Rightarrow$